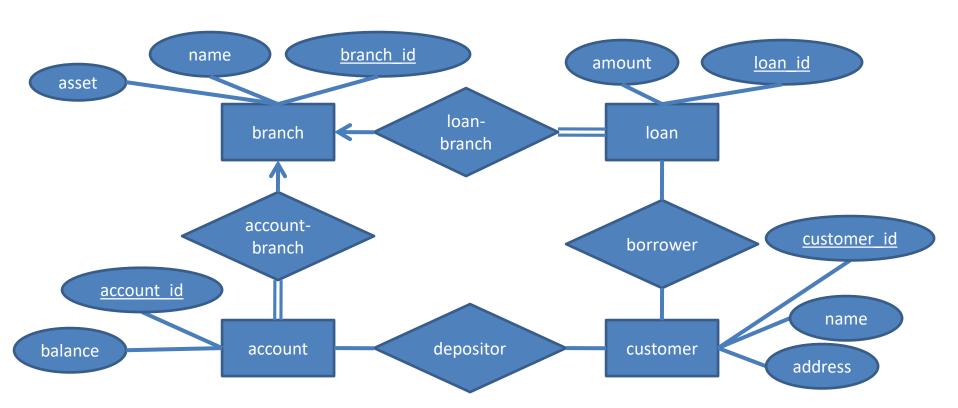
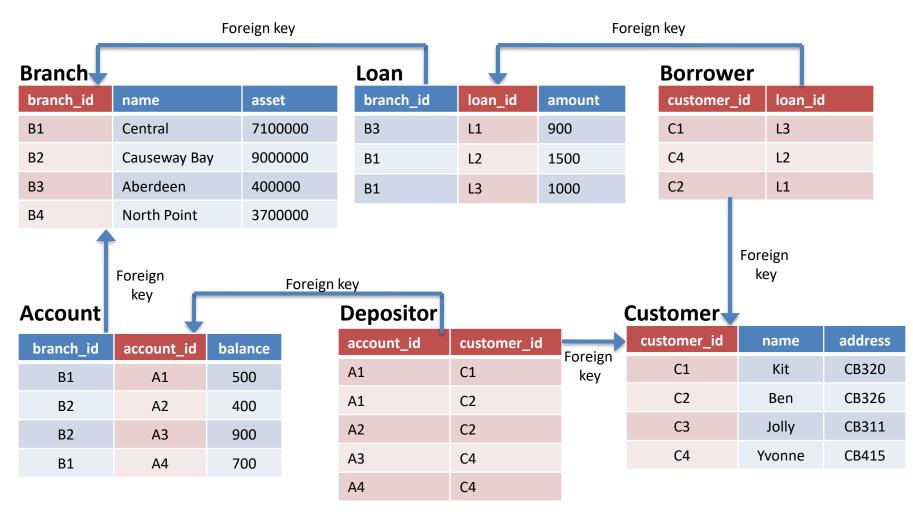
# Banking example

Let's consider the banking enterprise example we used in the previous chapter.



# Banking example



- Query: find the customer\_id of all customers who have an account at a branch located in Central.
- Relational expression

```
SELECT customer_id
FROM branch, account, depositor
WHERE
    account.account_id = depositor.account_id AND
    branch.branch_id = account.branch_id AND
    branch.location = "Central"
```

```
\Pi_{customer\_id}(
\sigma_{branch.location} = \text{"Central"}(
branch \bowtie (account \bowtie depositor)
)
```

Relational algebra expression

SQL

#### branch

branch id	location	asset
B1	Central	7100000
B2	Causeway Bay	9000000
В3	Aberdeen	400000
B4	North Point	3700000

#### account

branch id	account id	balance
B1	A1	500
B2	A2	400
В2	A3	900
B1	A4	700

### depositor

account id	customer id
A1	C1
A1	C2
A2	C2
A3	C4
A4	C4

- Query: find the customer\_id of all customers who have an account at a branch located in Central.
- Relational expression

```
\Pi_{customer\_id}( \\ \sigma_{branch.location} = \text{``Central''}( \\ branch \bowtie (account \bowtie depositor) \\ ) \\ )
```

Note that we can transform the relational expression by using the equivalence rules. E.g., Performing selection as early as possible reduces the size of the relation to be joined.



- We can reduce the size of temporary relation by transforming the expression according to using rule 5a.
  - Rule 5a. The selection operation distributes over the natural join operation when all the attributes in selection condition involve only the attributes of one of the expressions (say, E<sub>1</sub>)

 $\Pi_{customer\_id}$ 

being joined.

```
\Pi_{customer\_id}
              \sigma_{branch.location} = "Central"
                      branch \bowtie (account \bowtie depositor)
              \sigma_{p} (E_{1} \bowtie E_{2}) = (\sigma_{p} (E_{1}) \bowtie E_{2})
(\sigma_{branch.location} = (Central'') (branch)) \bowtie (account \bowtie depositor)
```

Find the customer\_id of all customers with an account at Central branch whose account balance is over \$1000

```
SELECT customer_id
FROM branch, account, depositor
WHERE
    account.account_id = depositor.account_id AND
    branch.branch_id = account.branch_id AND
    branch.location = "Central" AND balance > 1000
```

SQL



### Relational expression

```
\Pi_{customer\_id} (
\sigma_{branch.location} = \text{``Central''} \land balance > 1000 (
branch \bowtie (account \bowtie depositor)
)
```

#### branch

branch_id	location	asset
B1	Central	7100000
B2	Causeway Bay	9000000
В3	Aberdeen	400000
B4	North Point	3700000

#### account

branch_id	account_id	balance
B1	A1	5000
B2	A2	4000
B2	A3	900
B1	A4	700

### depositor

account_id	customer_id
A1	C1
A1	C2
A2	C2
A3	C4
A4	C4

- Transform the expression in question 2a to another equivalent expression with smaller temporary relation
  - Rule 4. Natural join operations are associative.

```
(E_1 \bowtie E_2) \bowtie E_3 = E_1 \bowtie (E_2 \bowtie E_3)
```

```
\Pi_{customer\_id} (
\sigma_{branch.location} = \text{"Central"} \land belance > 1000 (
branch \bowtie (account \bowtie depositor)
)
```

```
\Pi_{customer\_id} ( \\ \sigma_{branch.location = "Central" \land balance > 1000} ( \\ (branch \bowtie account) \bowtie depositor \\ )
```

As **branch.location** and **balance** are attributes of the **branch** and **account** relations, we would like to make them on one side of the natural join (the one pointed by the pointer) so that we can apply rules to push the selection down the natural join.



### Perform selection early

Rule 5a. The selection operation distributes over the natural join operation when all the attributes in selection condition involve only the attributes of one of the expressions (say, E<sub>1</sub>) being joined.

Now the selection predicates are all on the attributes of **branch** and **account** relations, i.e., on the L.H.S. of the natural join (the one pointed by the pointer), we can push the selection down the L.H.S. of that natural join.



```
\Pi_{customer\_id} ( \\ \sigma_{branch.location = "Central" \land balance > 1000} ( \\ (branch \bowtie account \bowtie depositor \\ )
```

```
\Pi_{customer\_id} ( \\ \sigma_{branch.location = "Central" \land balance > 1000} (branch \bowtie account) ) \\ \bowtie depositor )
```

### Perform selection early

 $\bigcirc$  **Rule 5b.** The selection distributes over natural join when selection condition p1 involves only the attributes of E<sub>1</sub> and p2 involves only the attributes of E<sub>2</sub>.

```
\sigma_{p1 \wedge p2}(E_1 \bowtie E_2) = (\sigma_{p1}(E_1) \bowtie \sigma_{p2}(E_2))
```

```
We can further push the selection predicates down the natural join between branch and account.
```



```
\Pi_{customer\_id} ( \sigma_{branch.location = "Central"} (branch) \bowtie \sigma_{balance > 1000} (account) )
\bowtie depositor )
```

```
\Pi_{customer\_id} ( \\ (\sigma_{branch.location = "Central" \land balance > 1000} (branch \bowtie account)) \\ \bowtie depositor )
```

### Perform projection early

Rule 6. The projection operation can distribute over the natural join operation.

```
\pi_{L1 \cup L2} (E_1 \bowtie E_2) = \pi_{L1 \cup L2} ((\pi_{L1 \cup L3} (E_1)) \bowtie (\pi_{L2 \cup L3} (E_2)))
```

When pushing  $\Pi_{customer\_id}$  down the natural join (the one pointed by pointer), we need to add the attribute that is used in the joining (i.e., **account\_id**).

```
\Pi_{customer\ id} (
```

```
(\sigma_{branch.location = "Central"}(branch) \bowtie \sigma_{balance > 1000}(account))
(\sigma_{branch.location} = "Central")
```

```
\Pi_{customer\_id}( )
\Pi_{account\_id}( )
\sigma_{branch.location = "Central"}(branch) \bowtie \sigma_{balance > 1000}(account)
\Pi_{customer\_id, account\_id}(depositor)
```

### Perform projection early

When pushing  $\Pi_{account\_id}$  down the natural join (the one pointed by pointer), we need to add the attribute that is used in the joining (i.e., **branch\_id**).



```
\Pi_{customer\_id} (
          \Pi_{account\_id}
                    \Pi_{\mathit{branch\_id}}(
                             \sigma_{branch.location = "Central"}(branch)
                        <mark>account_id ,branch_id</mark>
                             \sigma_{balance > 1000} (account)
           \Pi_{customer\_id, account\_id} (depositor)
```

```
\Pi_{customer\_id} (\\ \Pi_{account\_id} (\\ \sigma_{branch.location = "Central"} (branch) \bowtie \sigma_{balance > 1000} (account) \\ )\\ \bowtie \Pi_{customer\_id, account\_id} (depositor)
```

Find the **sID** and **name** of the employee who know all

the IT skills in the company.

$$(\frac{\text{(Has)} \div \pi_{\text{skillID}}(\text{IT\_skill})}{\pi_{\text{skillID}}})$$

The use of division to find the sID in Has that has all skillID appearing in IT skill table.

#### **Staff**

name	dpt_id
Peter	1
Sharon	1
David	2
Joe	3
	Peter Sharon David

### Has

sID	skillID
1	1
1	2
1	3
2	3
3	3
4	1
4	2
4	3

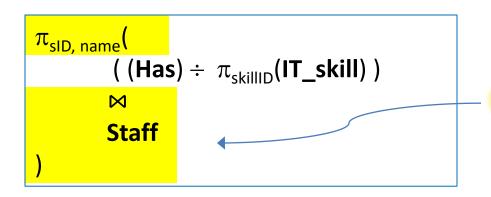
### IT\_skill

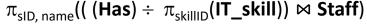
skillName	desc
C++	
JAVA	
MySQL	•••
database	
	C++ JAVA MySQL

(Has) ÷ 
$$\pi_{\text{skillID}}$$
(IT\_skill)

sID
1
4

Find the sID and name of the employee who know all the IT skills in the company.





sID	name
1	Peter
4	Joe



With the sID, we join with Staff and project the sID and name of the staffs.

CT	TT
Sta	TT

sID	name	dpt_id
1	Peter	1
2	Sharon	1
3	David	2
4	Joe	3

### Has

sID	skillID
1	1
1	2
1	3
2	3
3	3
4	1
4	2
4	3

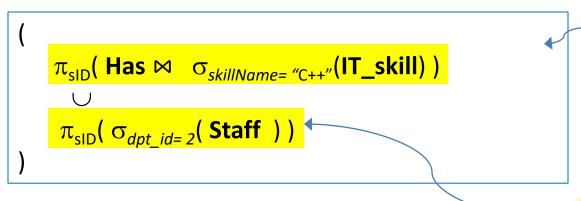
IT\_skill

skillID	skillName	desc
1	C++	
2	JAVA	
3	MySQL	
	database	

(Has) ÷ 
$$\pi_{\text{skillID}}$$
(IT\_skill)

sID
1
4

Find the sID of the staffs who know about C++ or works in the IT department (dpt\_id=2).



Has		

sID	name	dpt_id
1	Peter	1
2	Sharon	1
3	David	2
4	Joe	3

Staff

sID	skillID
1	1
1	2
1	3
2	3
3	3
4	1
4	2
4	3

### IT\_skill

skillID	skillName	desc
1	C++	
2	JAVA	
3	MySQL	•••
	database	

Given the skillName as "C++", find the sID of the staffs who has this skill.

$$\pi_{SID}$$
( Has  $\bowtie \sigma_{skillName= \text{"C++"}}(IT\_skill)$ )

Find the sID of the staffs who works in the IT department.

$$\pi_{\text{sID}}(\ \sigma_{\textit{dpt}\_\textit{id=2}}(\ \text{Staff}\ )\ )$$

sID 3

List the name of the IT skills that the staffs named "Peter" and "David" know.

#### **Staff**

sID	name	dpt_id
1	Peter	1
2	Sharon	1
3	David	2
4	Joe	3
5	David	4

#### Has

sID	skillID
1	1
1	2
1	3
2	3
3	3
4	1
4	2
4	3

### IT\_skill

skillID	skillName	desc
1	C++	
2	JAVA	
3	MySQL database	

#### Result

sID	name	skillName
1	Peter	C++
1	Peter	JAVA
1	Peter	MySQL
		database
3	David	MySQL
		database
5	David	null

List the name of the IT skills that the staffs named "Peter" and "David" know.
Select the Staffs with name equ

σ<sub>name= "Peter" v name = "David"</sub> ( Staff

Select the Staffs with name equal to "Peter" or "David".

 $\sigma_{name= "Peter" \ v \ name = "David"}( Staff )$ 

sID	name	dpt_id
1	Peter	1
3	David	2
5	David	4

#### **Staff**

sID	name	dpt_id
1	Peter	1
2	Sharon	1
3	David	2
4	Joe	3
5	David	4

#### Has

sID	skillID
1	1
1	2
1	3
2	3
3	3
4	1
4	2
4	3

### IT\_skill

skillID	skillName	desc
1	C++	
2	JAVA	
3	MySQL	
	database	

List the name of the IT skills that the staffs named

"Peter" and "David" know,

σ<sub>name= "Peter" v name = "David"</sub> (Staff)

TM Has

Use left outer join to retain the staff "David" (sID = 5) who knows no IT\_skills.

 $\sigma_{name= "Peter" \ v \ name = "David"} ( Staff )$ 

sID	name	dpt_id
1	Peter	1
3	David	2
5	David	4

#### Staff

sID	name	dpt_id
1	Peter	1
2	Sharon	1
3	David	2
4	Joe	3
5	David	4

#### Has

sID	skillID
1	1
1	2
1	3
2	3
3	3
4	1
4	2
4	3

### IT skill

skillID	skillName	desc
1	C++	•••
2	JAVA	
3	MySQL	
	database	

O <sub>name= "Peter" ν name ="David"</sub>	(Staff )		Has
--	----------	--	-----

sID	name	dpt_id	skillID
1	Peter	1	1
1	Peter	1	2
1	Peter	1	3
3	David	2	3
5	David	4	null

List the name of the IT skills that the staffs named "Peter" and "David" know, with skillID, we further join with IT\_skill

( σ<sub>name= "Peter" v name = "David"</sub> ( Staff )

□ Has)

□ IT skill

σ<sub>name= "Peter" v name = "David"</sub> (Staff ) □ Has □ IT skill

table to get the name of the skills

sID	name	dpt_id	skillID	skillName
1	Peter	1	1	C++
1	Peter	1	2	JAVA
1	Peter	1	3	MySQL database
3	David	2	3	MySQL database
5	David	4	null	null

#### Staff

sID	name	dpt_id
1	Peter	1
2	Sharon	1
3	David	2
4	Joe	3
5	David	4

#### Has

sID	skillID
1	1
1	2
1	3
2	3
3	3
4	1
4	2
4	3

### IT\_skill

skillID	skillName	desc
1	C++	
2	JAVA	
3	MySQL	
	database	

O <sub>name= "Peter" ν name ="David"</sub>	( Staff	$)$ $\Longrightarrow$	Has
--	---------	-----------------------	-----

sID	name	dpt_id	skillID
1	Peter	1	1
1	Peter	1	2
1	Peter	1	3
3	David	2	3
5	David	4	null

List the name of the IT skills that the staffs named "Peter" and "David" know.

 $(\sigma_{name="Peter" \ v \ name="David"}(Staff) | \sigma_{name="Peter" \ v \ name="David"}(Staff) = Mas = Mas$ 

sID	name	dpt_id	skillID	skillName
1	Peter	1	1	C++
1	Peter	1	2	JAVA
1	Peter	1	3	MySQL database
3	David	2	3	MySQL database
5	David	4	null	null

#### Staff

sID	name	dpt_id
1	Peter	1
2	Sharon	1
3	David	2
4	Joe	3
5	David	4

#### Has

sID	skillID
1	1
1	2
1	3
2	3
3	3
4	1
4	2
4	3

### IT\_skill

skillID	skillName	desc
1	C++	
2	JAVA	
3	MySQL database	

#### Result

sID	name	skillName
1	Peter	C++
1	Peter	JAVA
1	Peter	MySQL database
3	David	MySQL database
5	David	null